

Adaptation of SPEE Monograph 4 to Wyoming Horizontal Plays

**SPEE Northern Rockies Chapter
Casper, Wyoming**

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Thanks to...

- **Leo Giangiacomo**
- **Bonnie Percy**
- **Mike Borah**
- **Rick Vine**

Outline

- 1. SPEE Monograph 4 – what's in it?**
- 2. Two applications of Mono 4 to Wyoming wells**
- 3. A new model that isn't discussed in Mono 4**

1. SPEE Monograph 4 – What's in it?

SPEE Monograph 4 – Estimating Developed Reserves in Unconventional Reservoirs

Assess current methods to forecast performance of wells in unconventional reservoirs given different reservoir types, different completions, and different well maturities.

SPEE Monograph 4 -- Committee Members

Jim Erdle (CMG)

Brent Hale (SPEE, Cobb & Associates)

Olivier Houze` (KAPPA Engineering)

Dilhan Ilk (DeGolyer & MacNaughton)

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John Ritter (SPEE, Occidental Petroleum)

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Darla-Jean Weatherford (TextRight, technical editor)

Scott Wilson (SPEE, Ryder Scott)

SPEE Monograph 4 -- Chapters

- 1. Introduction**
- 2. Definition of unconventional reservoirs (UCR)**
- 3. Reservoir Characterization Aspects of Estimating Developed Reserves in UCR's**
- 4. Drilling , Completions, and Operational Aspects of Estimating Developed Reserves in UCR's**
- 5. Classical Arp's Decline Curve Analysis (DCA)**
- 6. Fluid Flow Theory & Alternative Decline Curve Methods**
- 7. Model-Based Well Performance Analysis and Forecasting**
- 8. Discretized Models**
- 9. Probabilistic Methods and Uncertainty in Forecasts and Estimated Ultimate Recovery**
- 10. Example Problems**

Workflow for Evaluation of *Developed* Reserves in Unconventional Reservoirs

From Dr. John Lee, SPEE Monograph 4

1. Assess data viability and correlation
2. Construct diagnostic plots
3. Identify flow regimes
4. Analyze and forecast with selected simple models
5. Analyze and forecast with semi-analytical models (RTA)
6. History match with simulator and forecast
7. Reconcile forecasts and estimated ultimate recoveries (EUR's)

Monograph 4 diagnostic plots to identify flow regimes

- 1. Pressure normalized rate**
- 2. Flowing material balance**
- 3. Square root of time**

Diagnostic plot 1 – pressure normalized rate – identify flow regimes

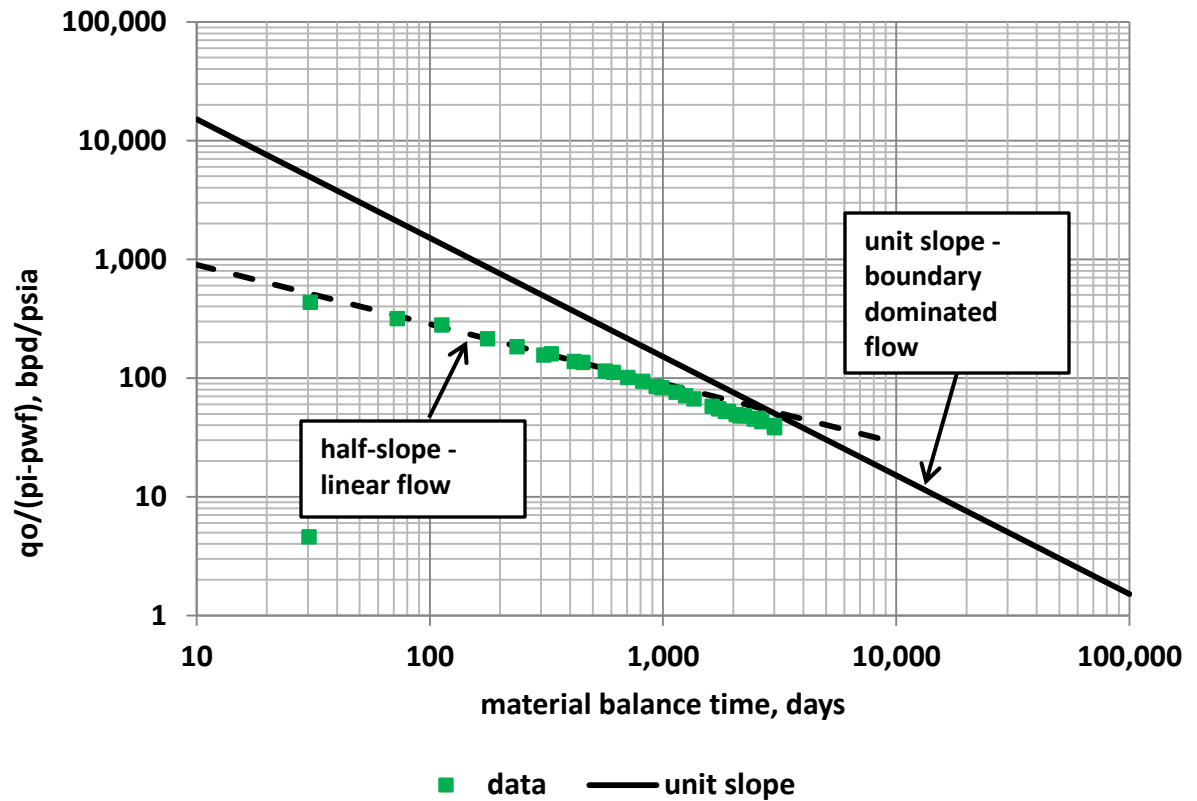
Pressure normalized rate

$q_o / (\pi i - p_{wf})$

vs

Material balance time, MBT

N_p / q_o



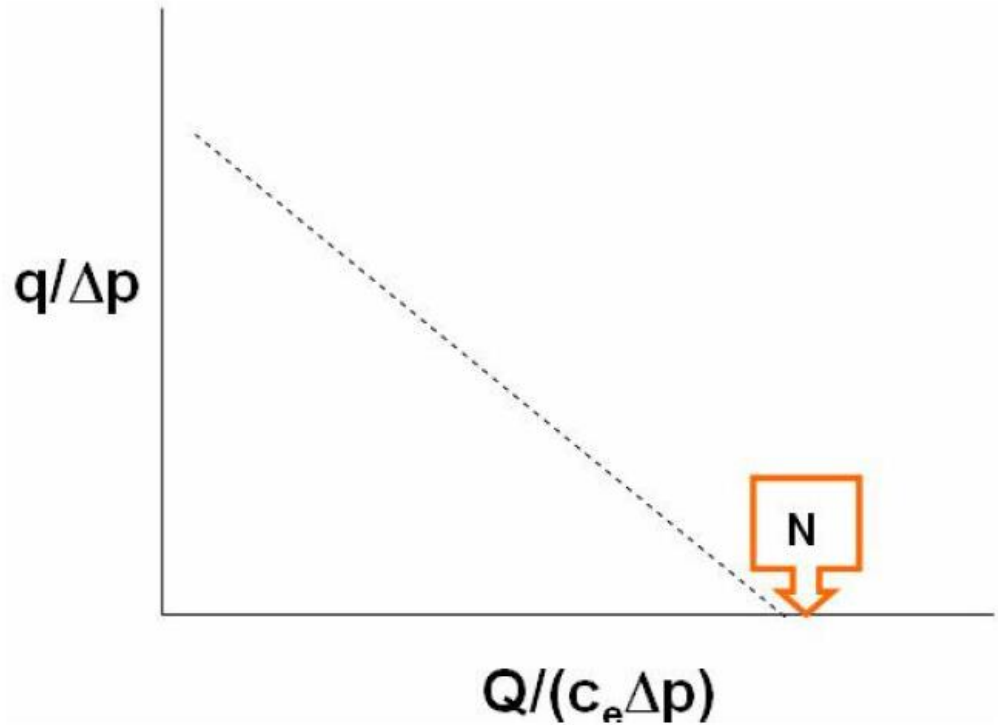
Diagnostic plot 2 – flowing material balance – estimate OOIP

Pressure normalized rate

$$q_o / (p_i - p_{wf})$$

vs

Normalized cumulative



Diagnostic plot 3 – square root of time plot – estimate A-root-k

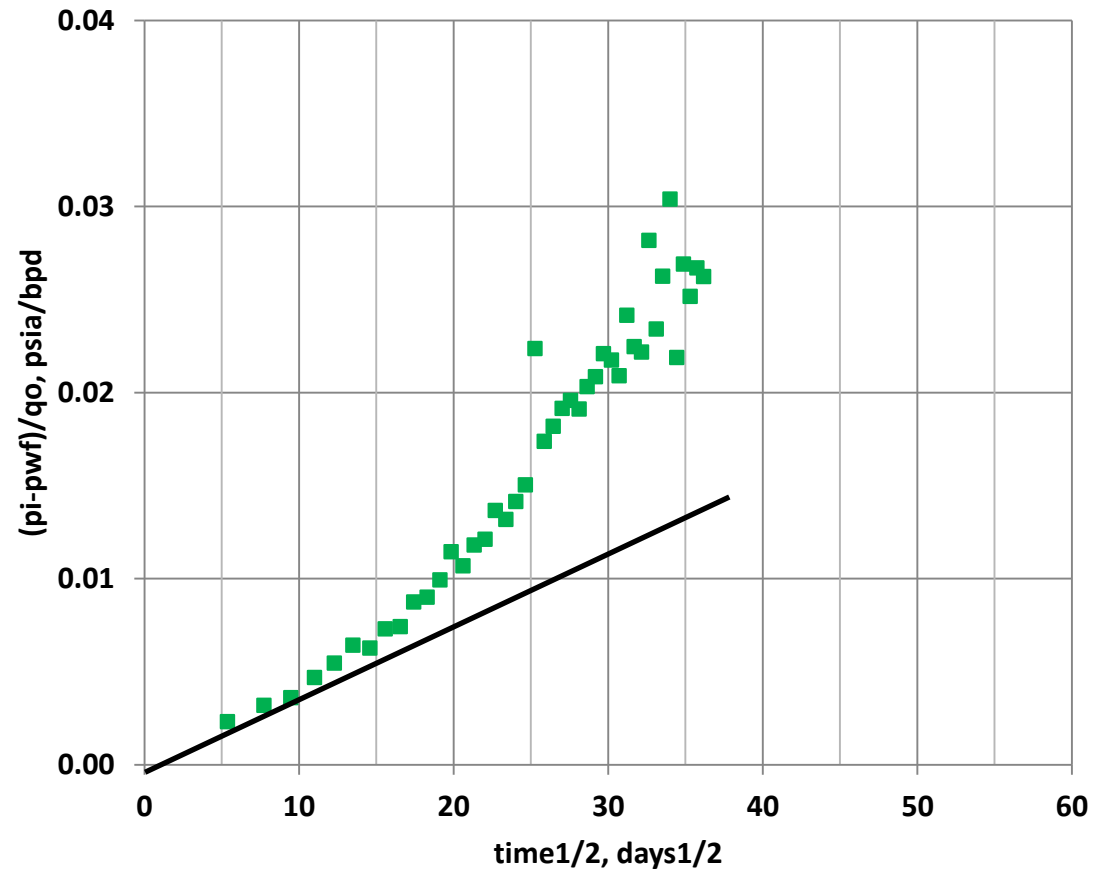
Rate normalized pressure

$(p_i - p_{wf})/q_o$

vs

Square root of time

$$A_f k^{1/2} = 16.26 \frac{B_o}{m} \left(\frac{\mu_o}{\phi c_t} \right)^{1/2}$$



Monograph 4 models

- 1. Modified Arps**
- 2. Duong**
- 3. Stretched exponential decline**
- 4. Fetkovich**
- 5. Blasingame**
- 6. Agarwal-Gardner**

Monograph 4 models – 2

- **Many models require bottomhole flowing pressures**
- **Many models require rock and fluid properties**
- **None have multi-fractured horizontal well option**

Monograph 4 models – 3

- What if I only have public domain rate data?
- We'll look at three models
 1. Modified Arps
 2. Duong
 3. Stretched exponential decline

Model 1 – Modified Arps – start with classic Arps equations

$$q_o = \frac{q_i}{(1 + bD_i t)^{1/b}}$$

$$N_p(t) = \frac{q_i^b}{D_i(b-1)} \left[q(t)^{1-b} - q_i^{1-b} \right]$$

Rate equation can have long tail and erroneously high recovery

Model 1 – Modified Arps – impose terminal exponential decline, D_{\min} , on classic Arps equations

$$t_{sw} = \frac{\frac{D_i}{D_{\min}} - 1}{bD_i}$$

$$q_o = q_{sw} \exp[-D_{\min}(t - t_{sw})]$$

$$N_{p\exp} = \frac{q_{sw} - q_{el}}{D_{sw}}$$

Four empirical constants – q_i , D_i , b , and D_{\min}

Model 2 – Duong

$$t(a, m) = t^{-m} \exp \left[\frac{a}{1-m} (t^{1-m} - 1) \right]$$

$$q_o = q_1 t(a, m)$$

$$\frac{q_o}{N_p} = at^{-m}$$

Three empirical constants – a, m, and q1

Ref: Duong, SPE 137748

Model 3 – Stretched exponential decline – SEDM

$$q_o = q_i \exp \left[- \left(\frac{t}{\tau} \right)^n \right]$$

$$N_p = \frac{q_i \tau}{n} \left\{ \Gamma \left[\frac{1}{n} \right] - \Gamma \left[\frac{1}{n}, \left(\frac{t}{\tau} \right)^n \right] \right\}$$

Three empirical constants – q_i , n , and τ

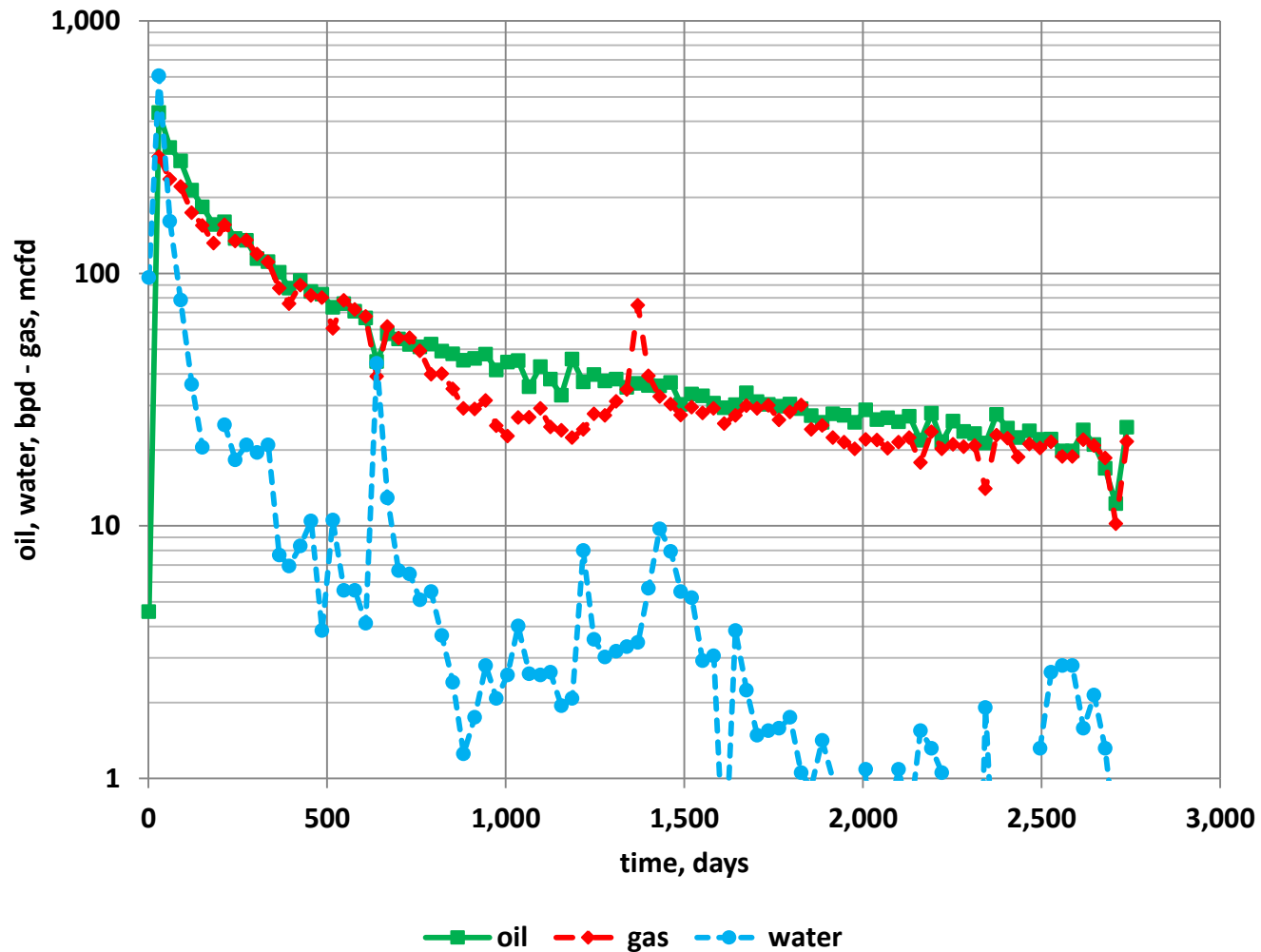
Ref: Yu, SPE 166198

2. Two applications of Mono 4 to Wyoming wells

**Application # 1 –
Mono 4 model predictions
vs
actual performance**

Spillman Draw 16-1H API 4900928224

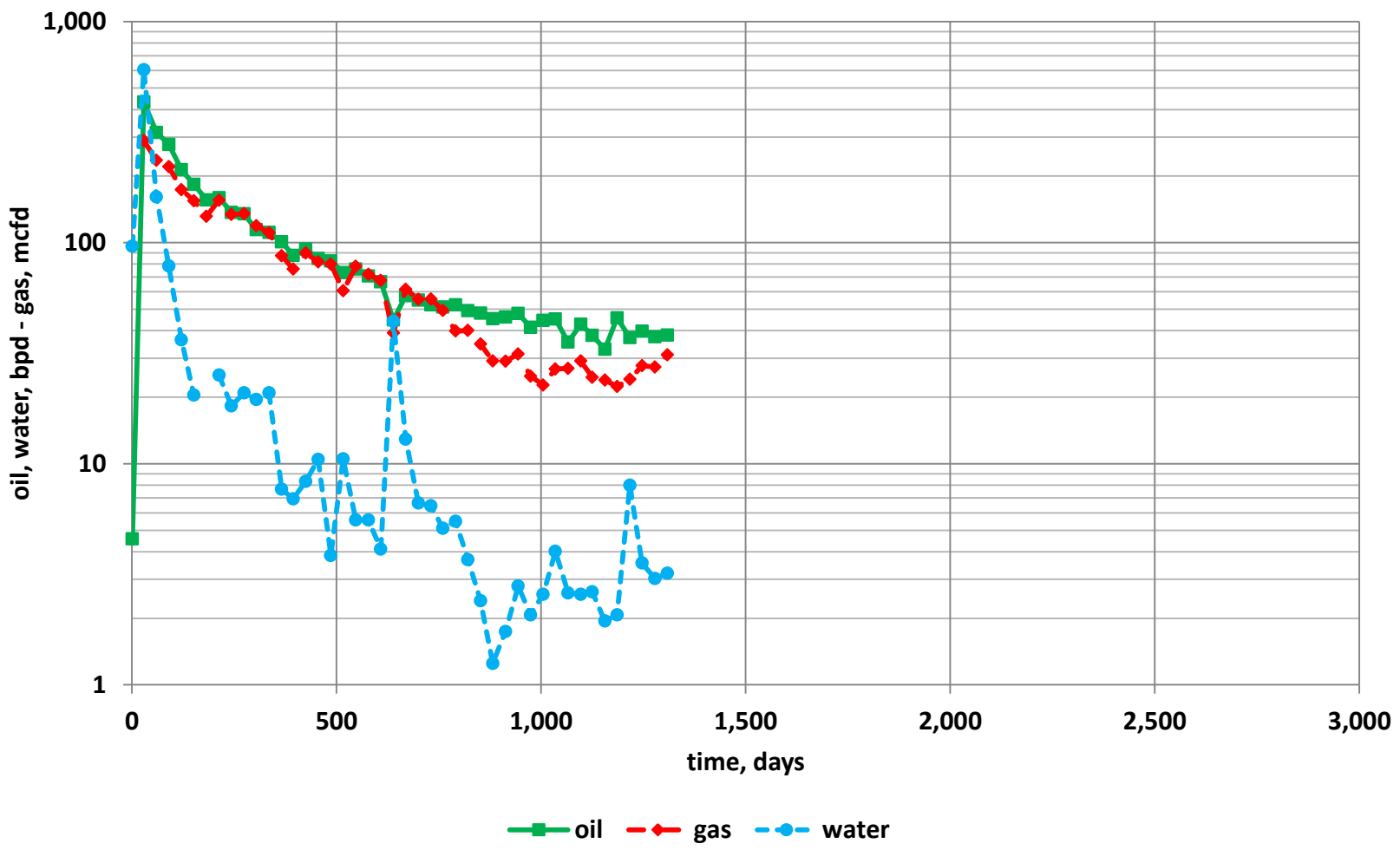
T35n R73W sec 16



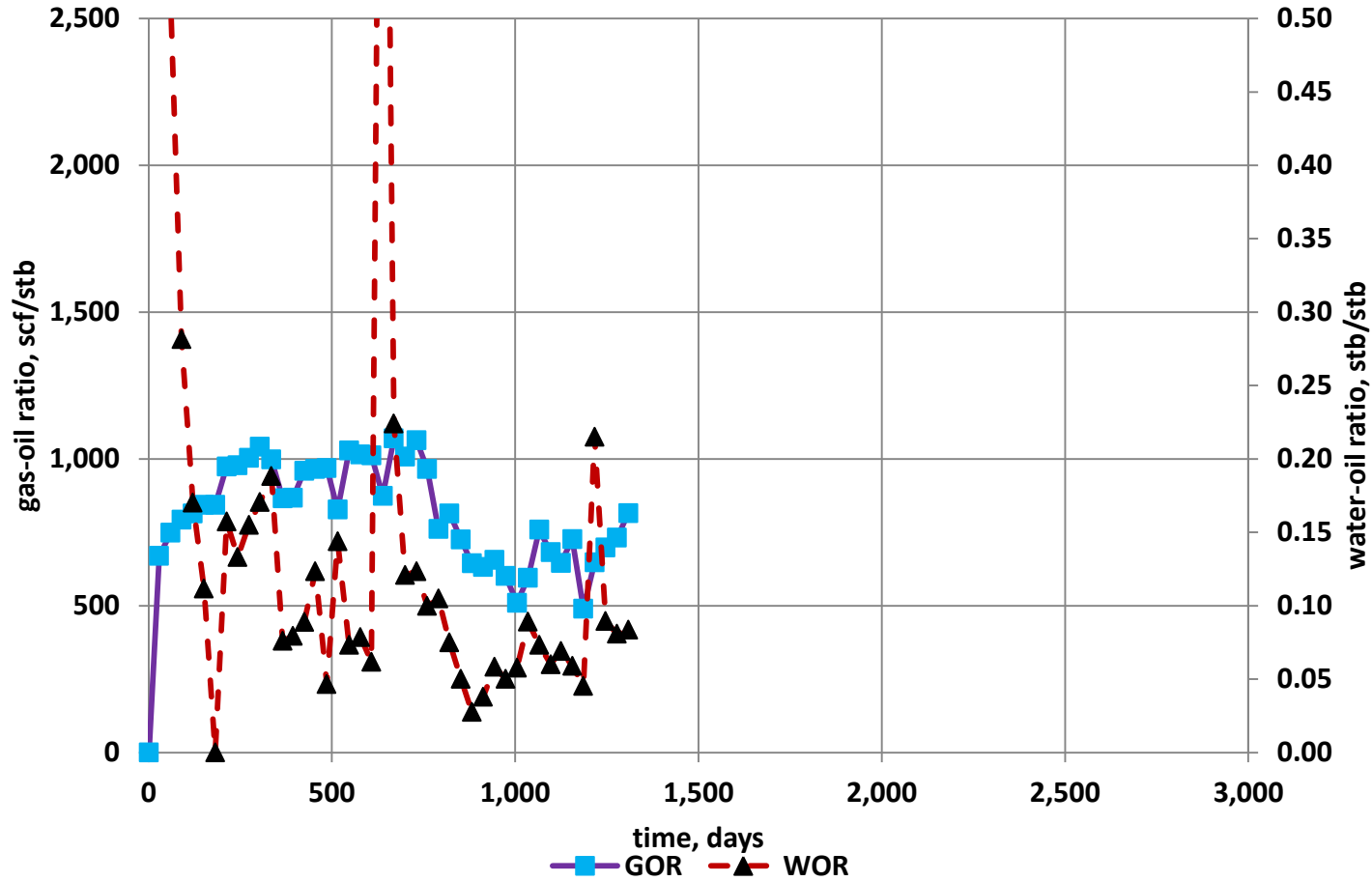
Spillman Draw 16-1H – test of 3 models

- **Take first half of production data**
- **Analyze with three models**
 - 1. Modified Arps**
 - 2. Duong**
 - 3. Stretched exponential decline**
- **Compare model predictions with second half of production data**

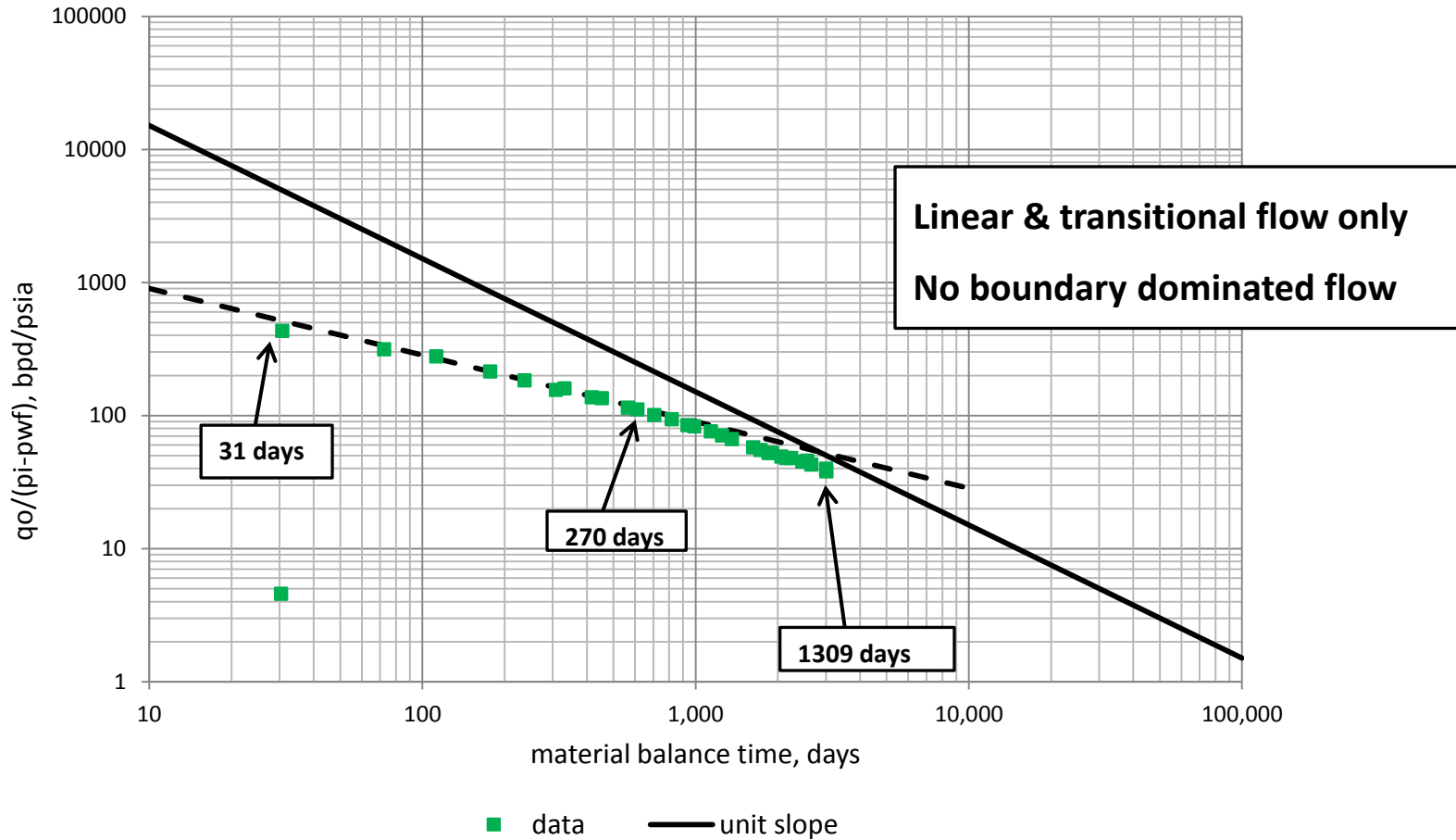
Spillman Draw 16-1H – production data



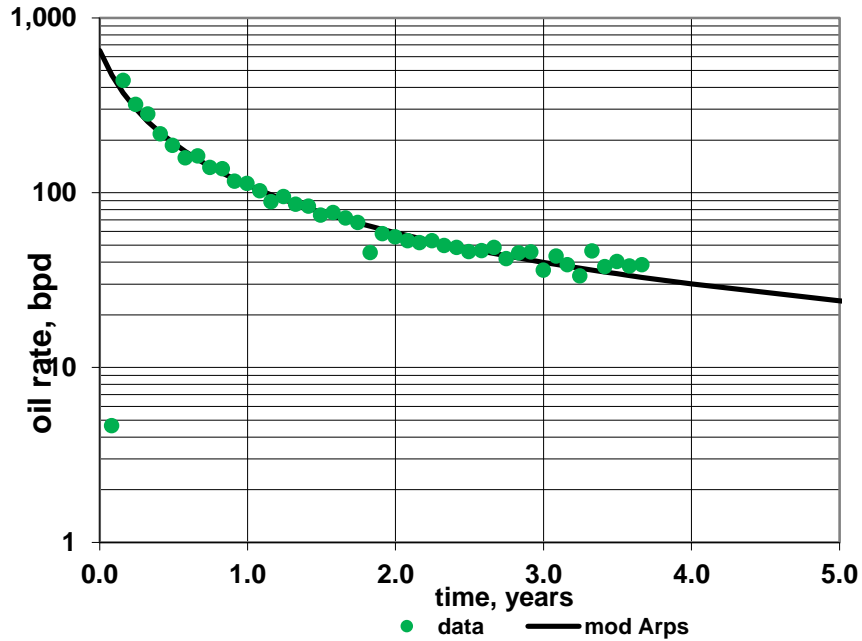
Spillman Draw 16-1H – gas-oil ratio & water-oil ratio



Spillman Draw 16-1H – diagnostic plot #1



Spillman Draw 16-1H – modified Arps



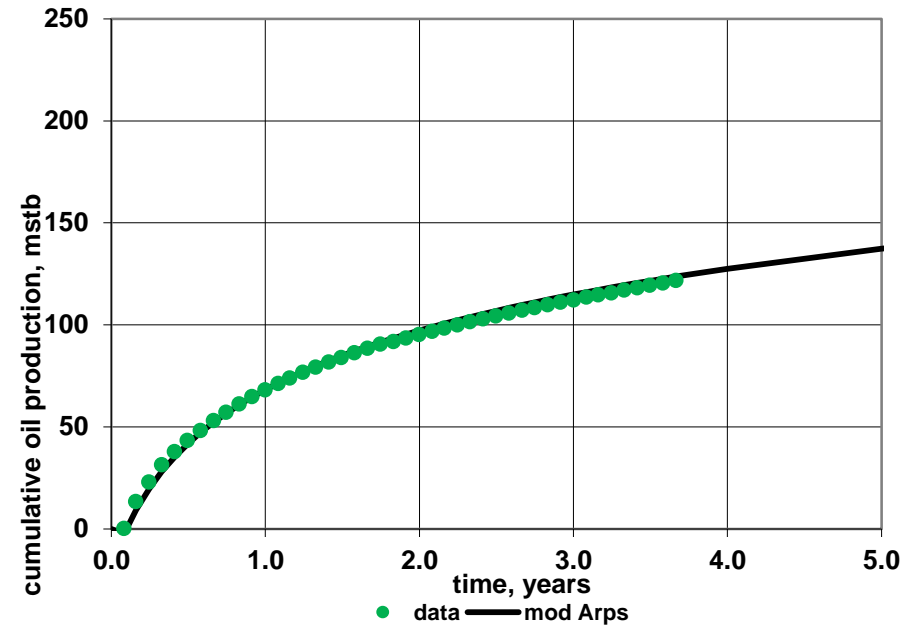
$q_i = 650$ bpd

$D_e = 83$ %/yr

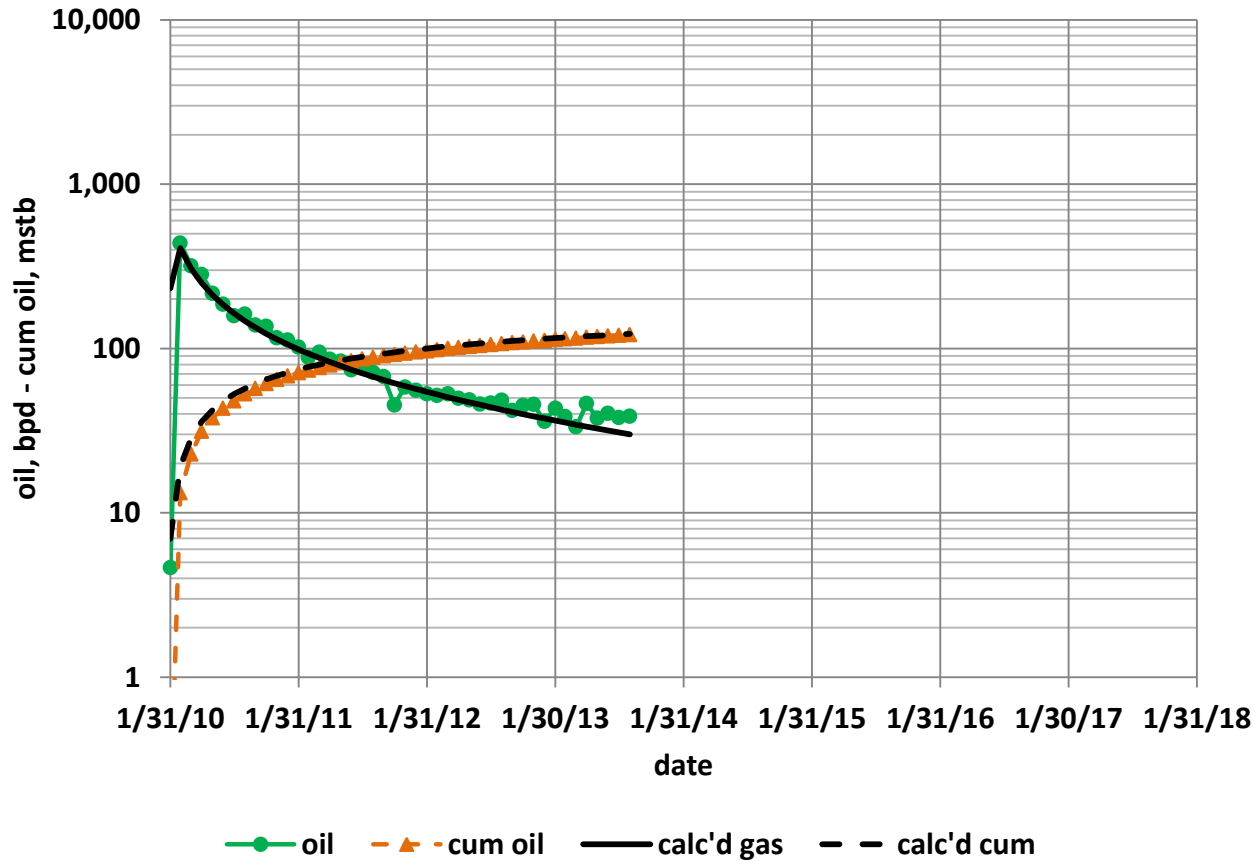
$b = 0.95$

$D_{min} = 5$ %/yr

$t_{sw} = 20.3$ yrs

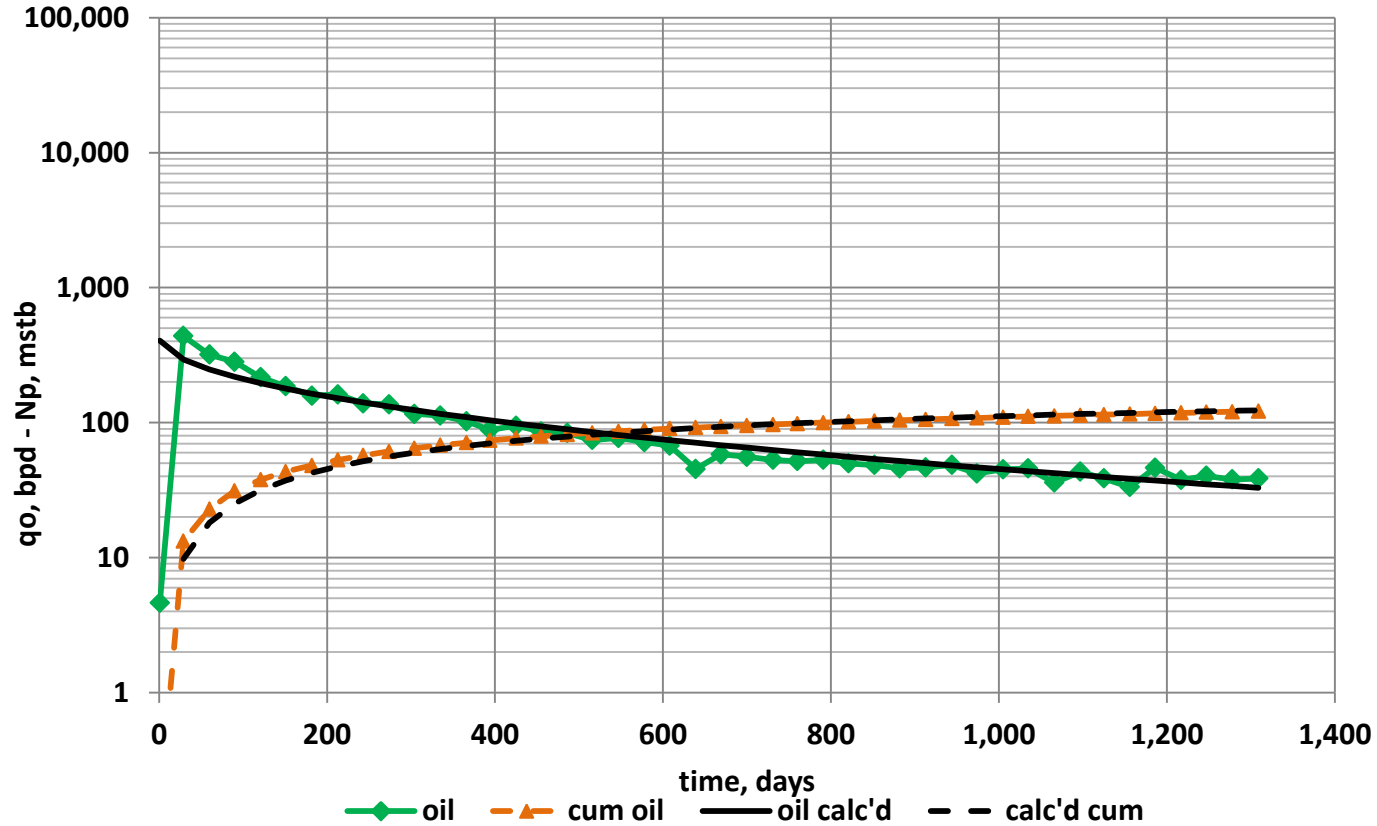


Spillman Draw 16-1H – Duong

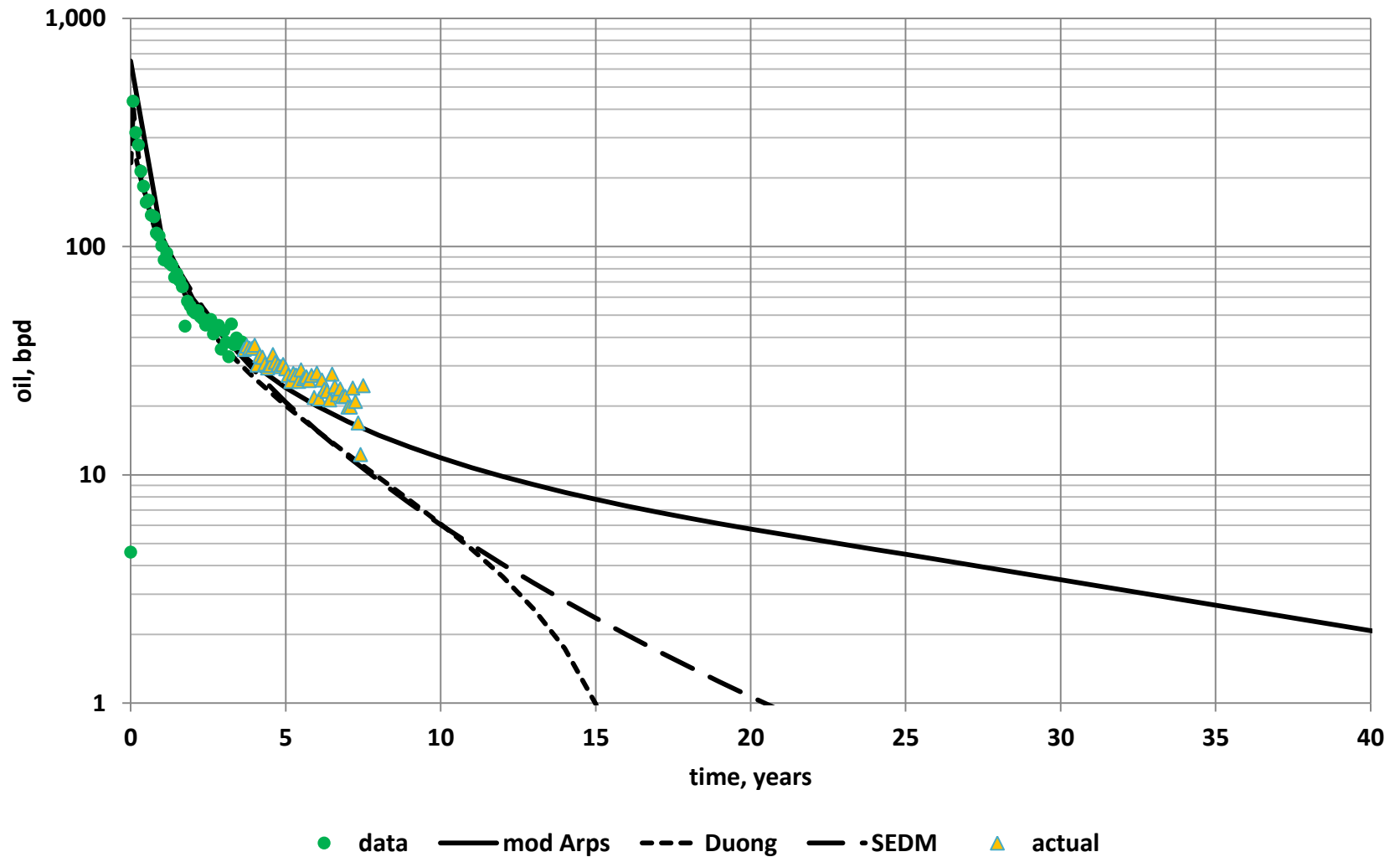


$q_1 = 242$ bpd
 $a = 2.00$
 $m = 1.23$
 $q_{inf} = -10$ bpd

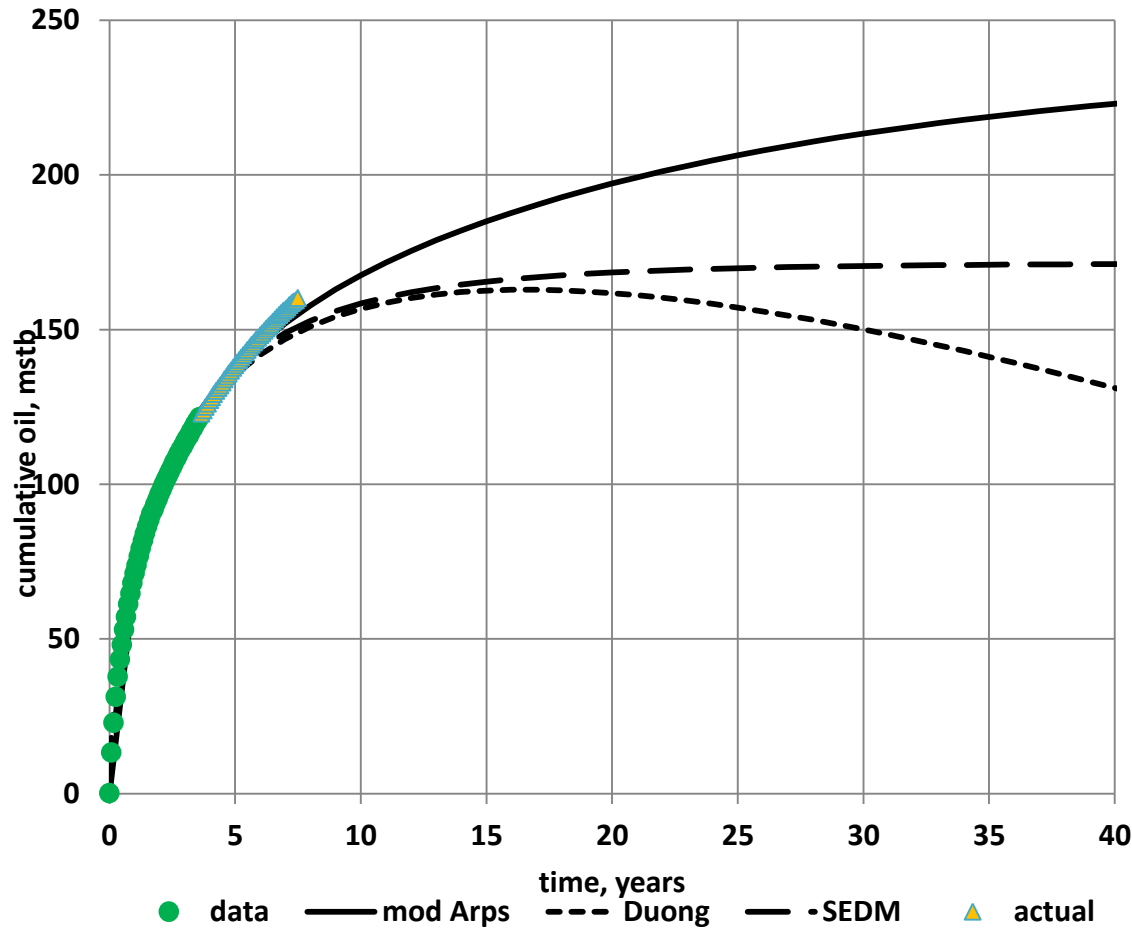
Spillman Draw 16-1H – SEDM



Spillman Draw 16-1H – models vs actual - rates

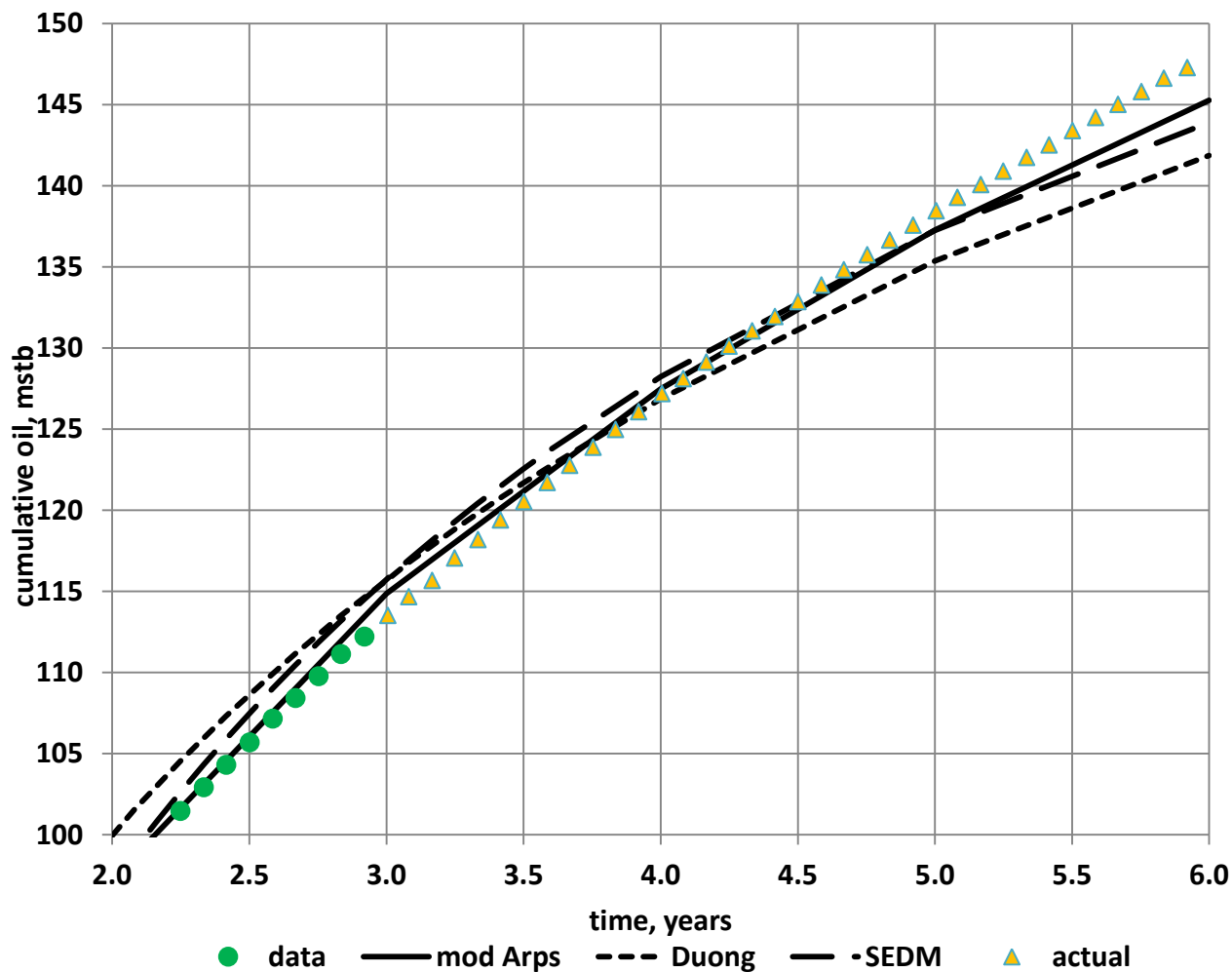


Spillman Draw 16-1H – models vs actual - cums



Duong cum
falls at late
time due to
 $q_{inf} = -10$ bpd

Spillman Draw 16-1H – models vs actual – short term cums



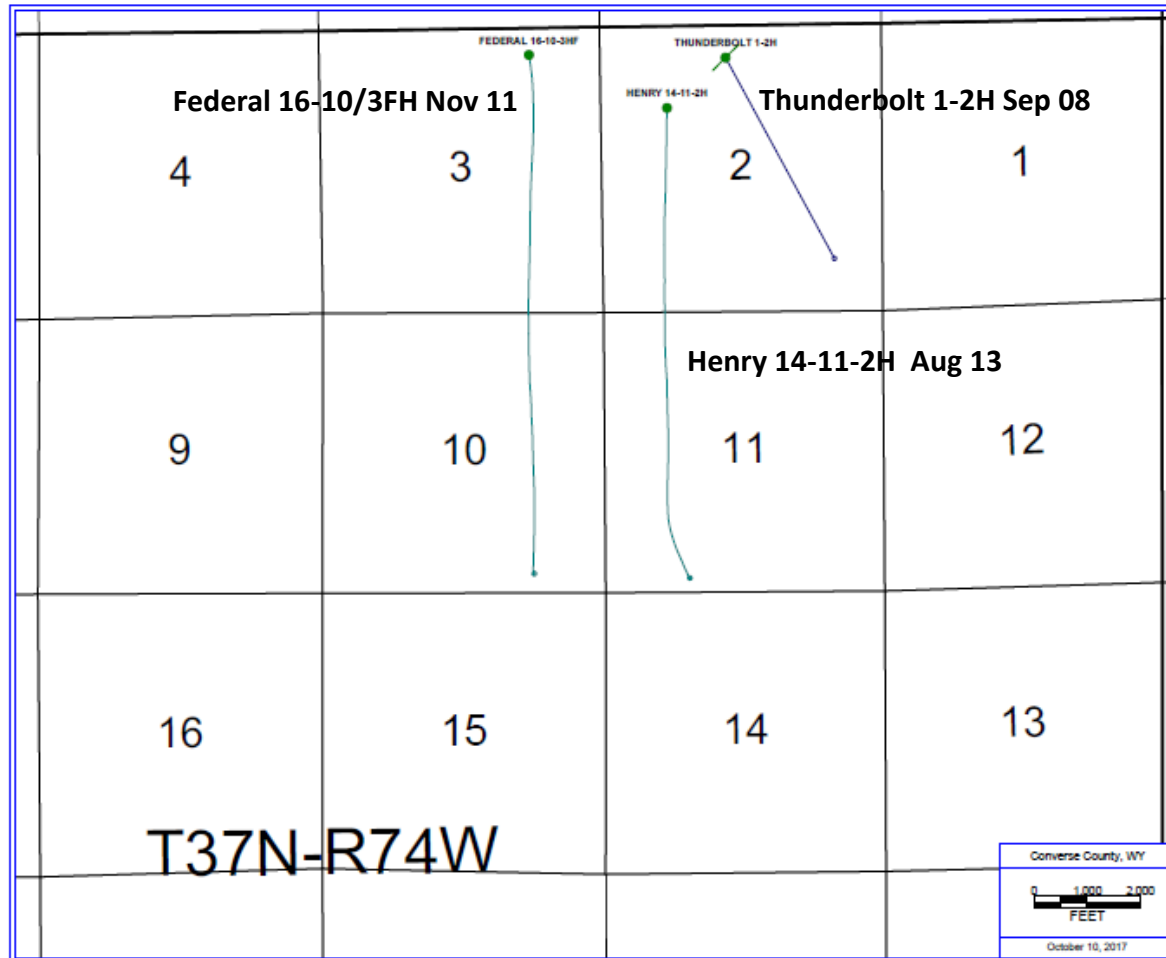
All models
sufficiently
accurate for 1 year
reserves cycle.

Wyoming well # 1 conclusions

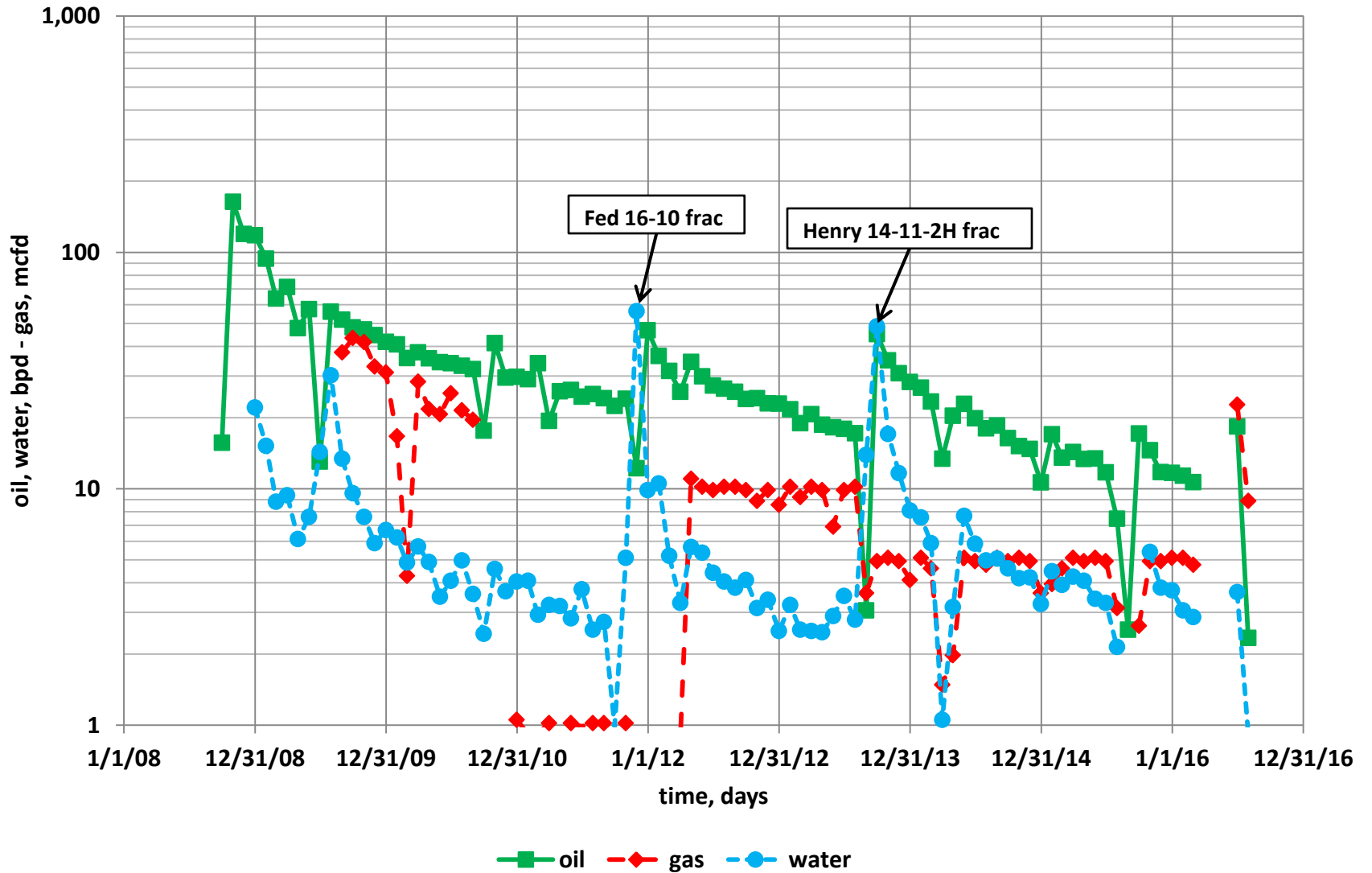
- **All models acceptable for 1 yr forecast**
- **No model accurately predicts long term recovery**

**Application # 2 –
What can Mono 4 diagnostic plots tell
us about frac interference?**

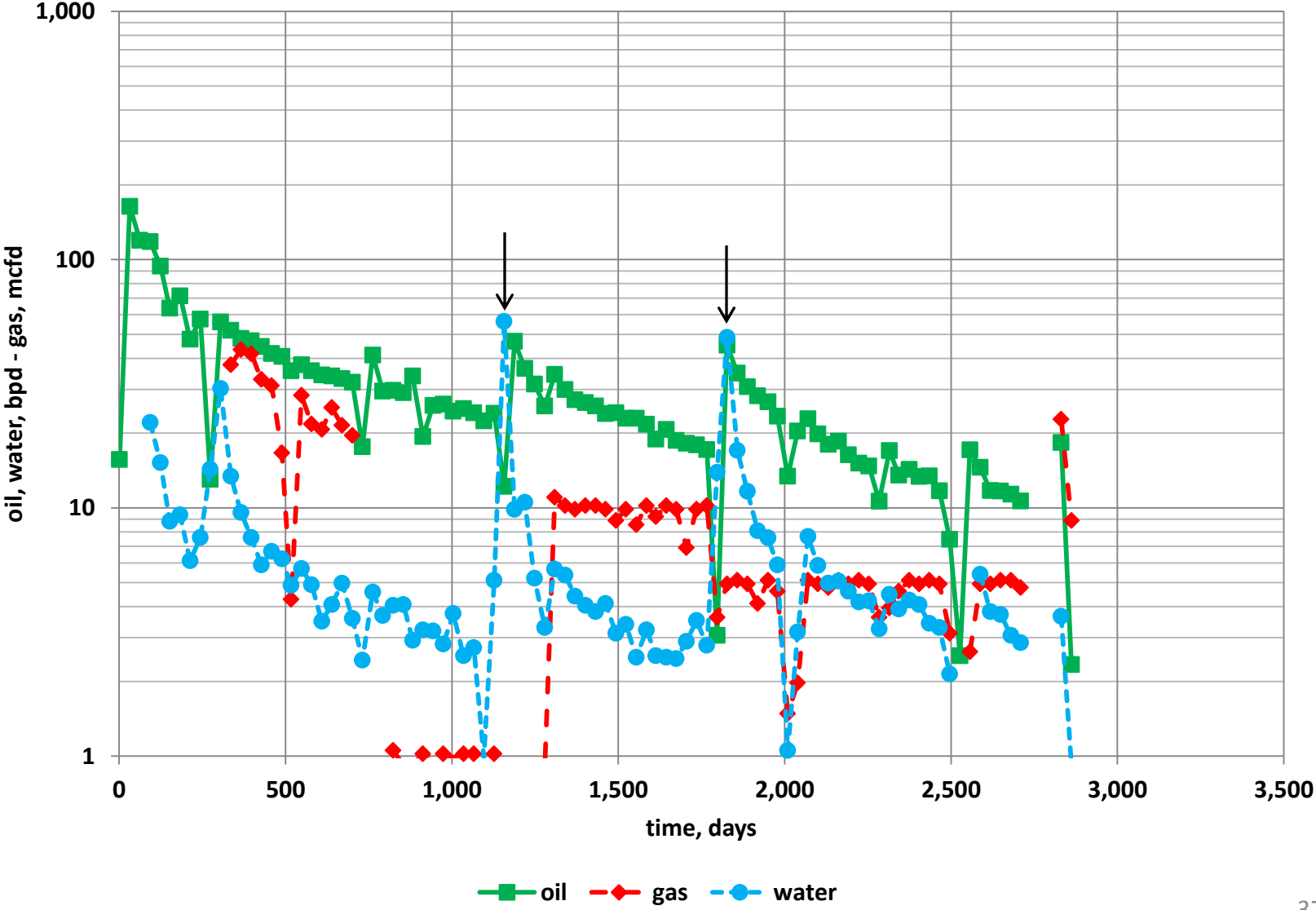
Do diagnostic plots show frac hits?



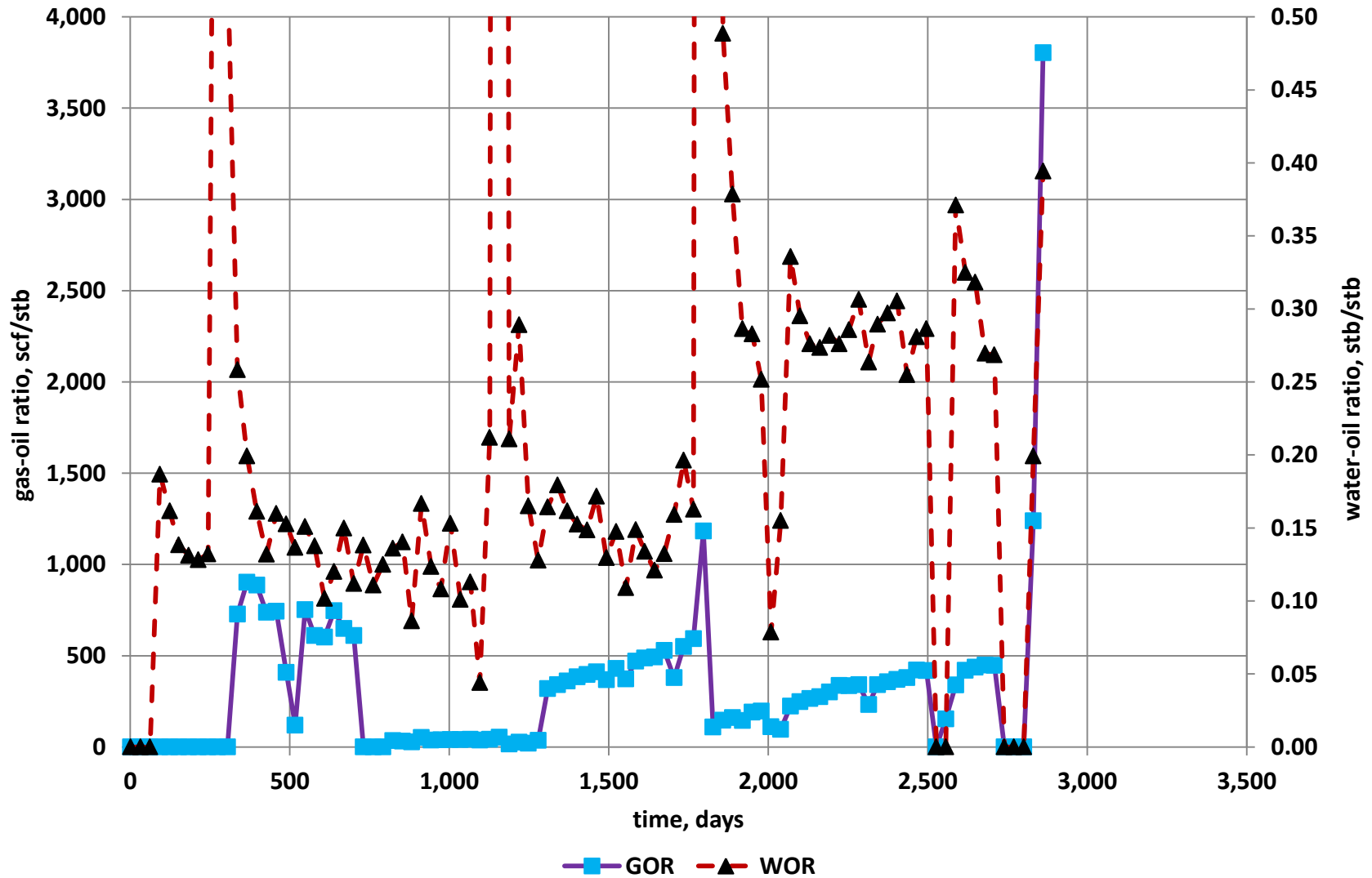
Thunderbolt 1-2H production data



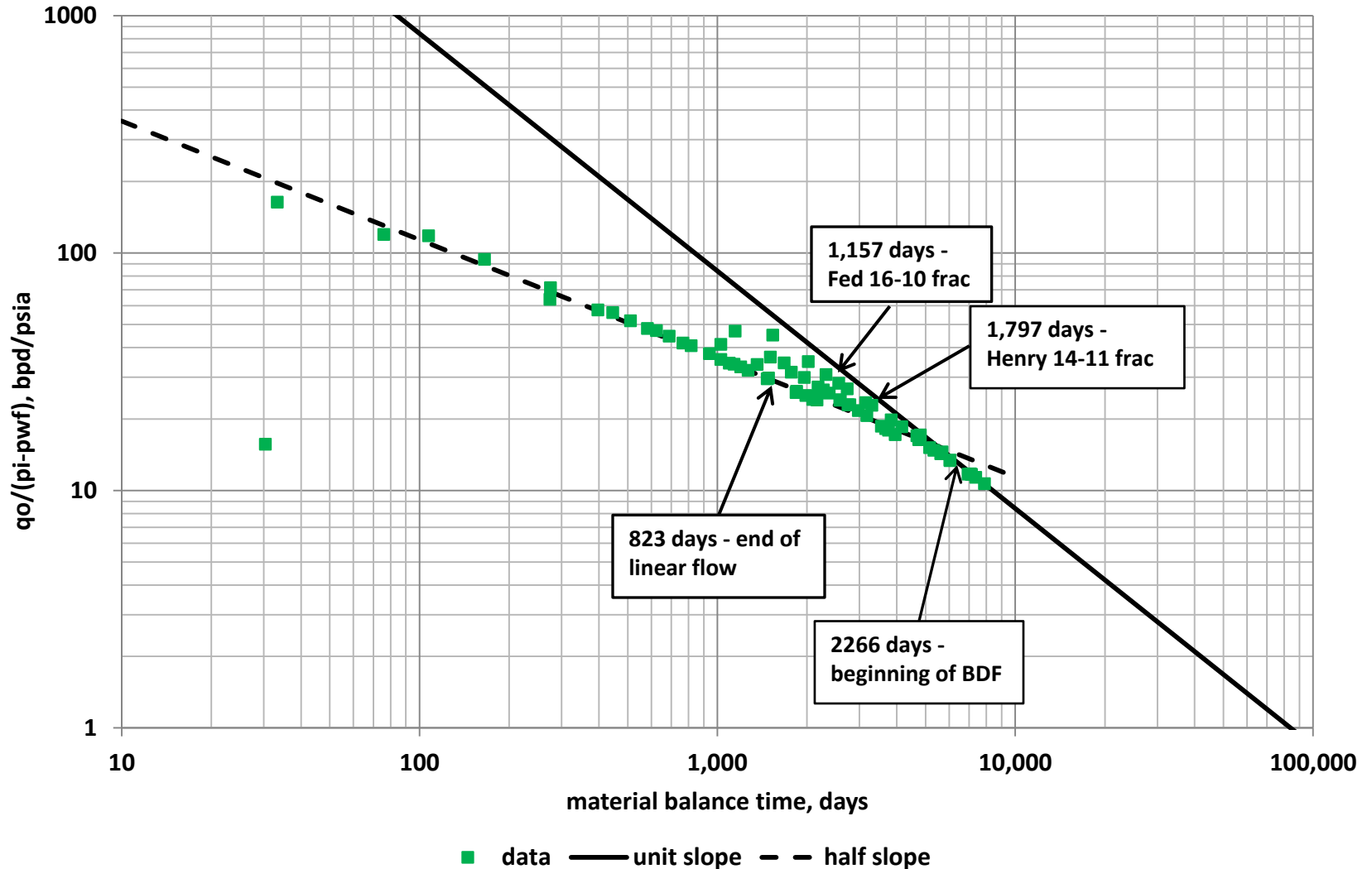
Thunderbolt 1-2H frac hits at 1157 & 1797 days



Thunderbolt 1-2H GOR & WOR plots

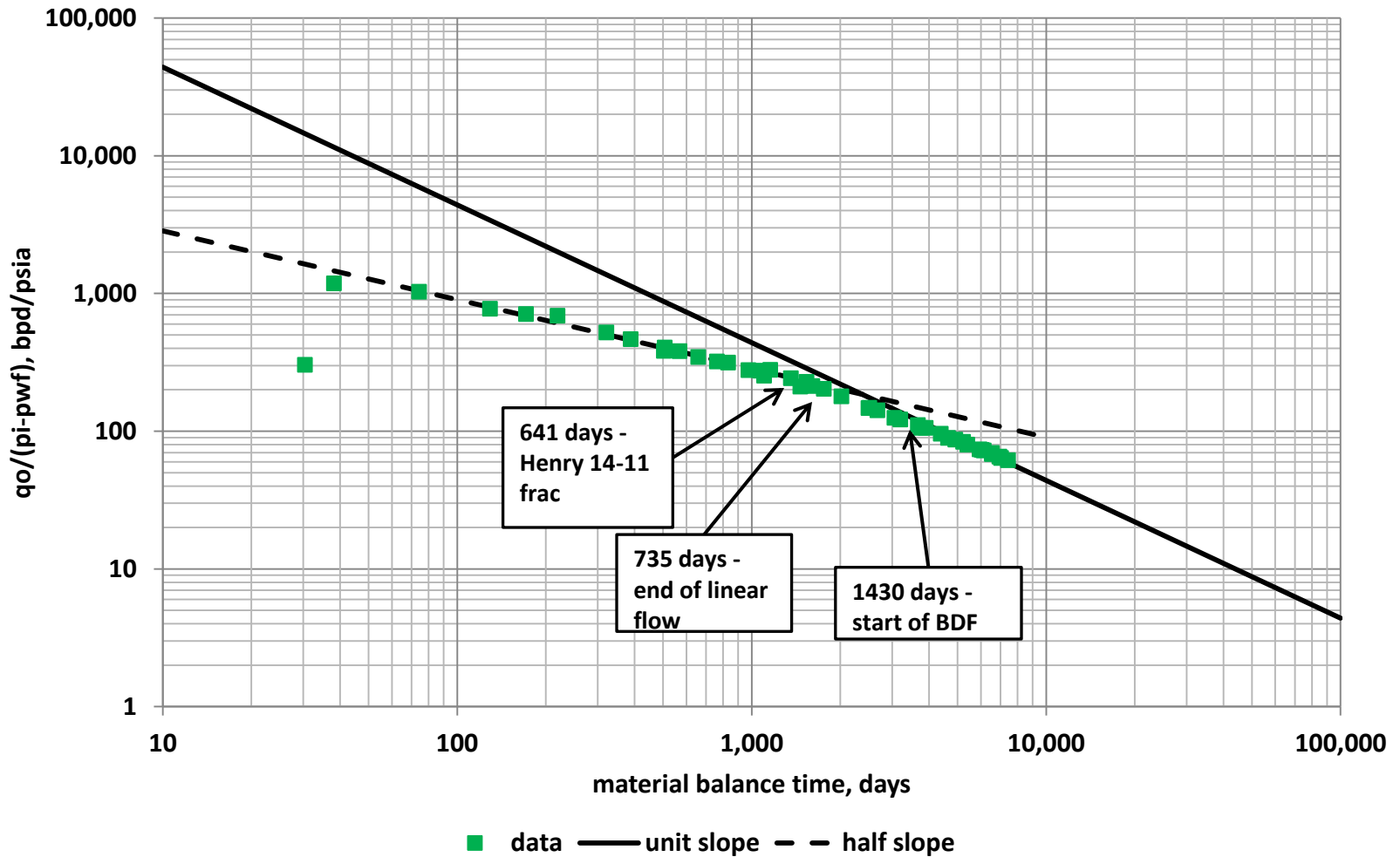


Thunderbolt diagnostic plot

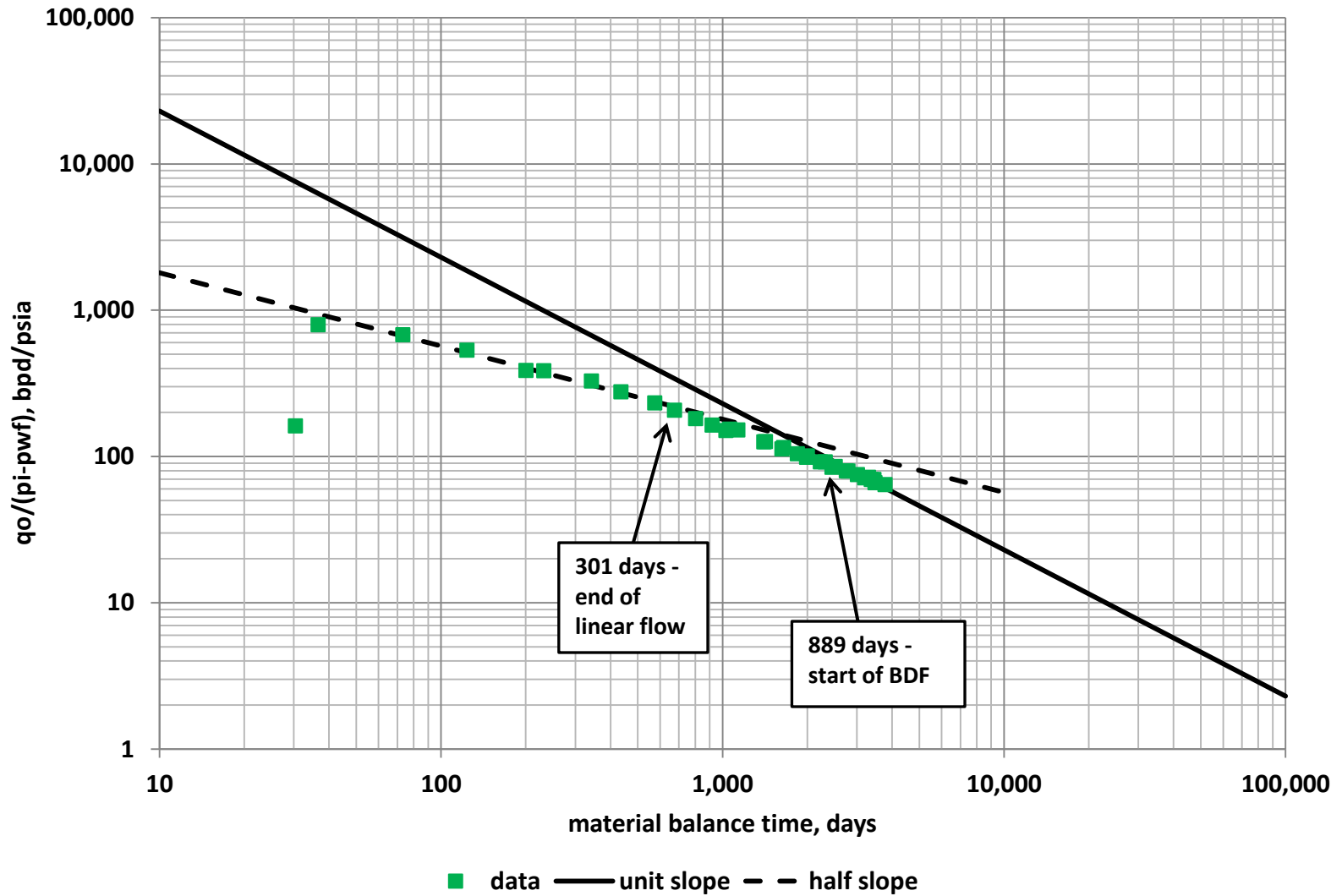


Fed 16-10/3FH diagnostic plot

Fed 16-10/3FH normalized rate vs mbt - filtered



Henry 16-11-2H diagnostic plot

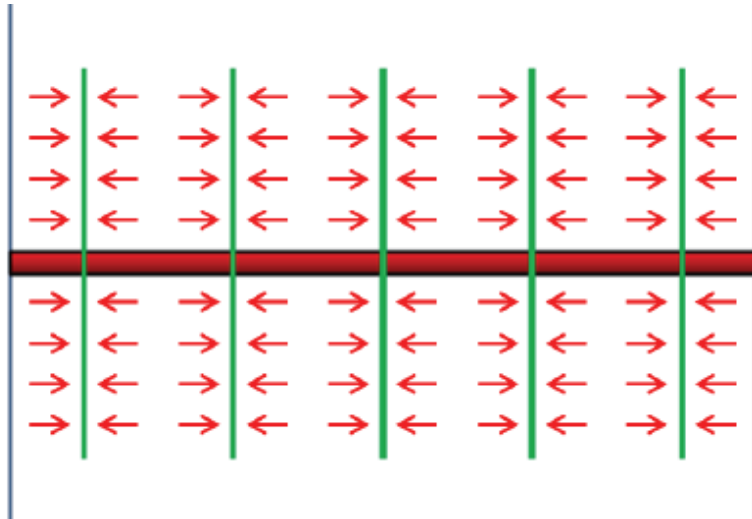


Observations

- **Thunderbolt 1-2H diagnostic plot became noisy when offset wells fracked.**
- **Fed 16-11H diagnostic plot shows frac hit coincides +/- with end of linear flow**
- **Henry 14-11-2H diagnostic plot early time behavior not affected after hitting offsets during stimulation**

3. A new model that isn't discussed in Monograph 4

Compound Linear Flow Model considers flow from native reservoir into the SRV

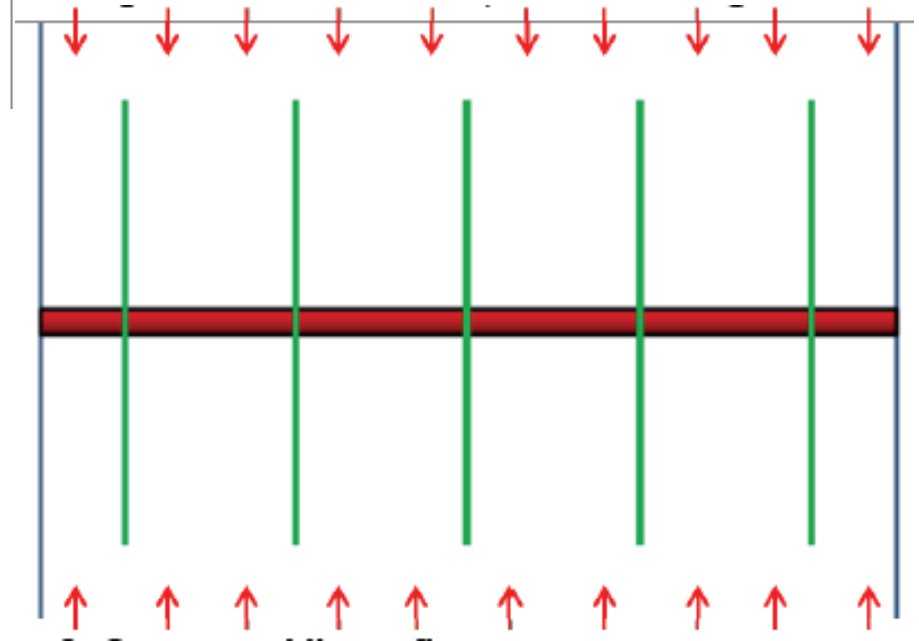


Compound linear flow

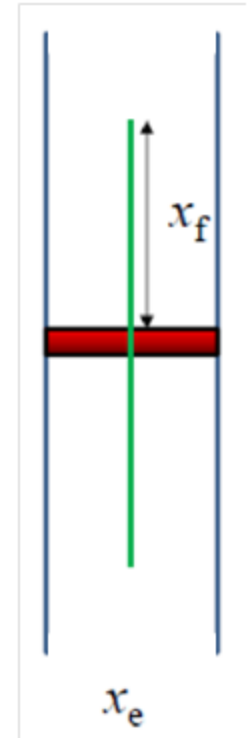
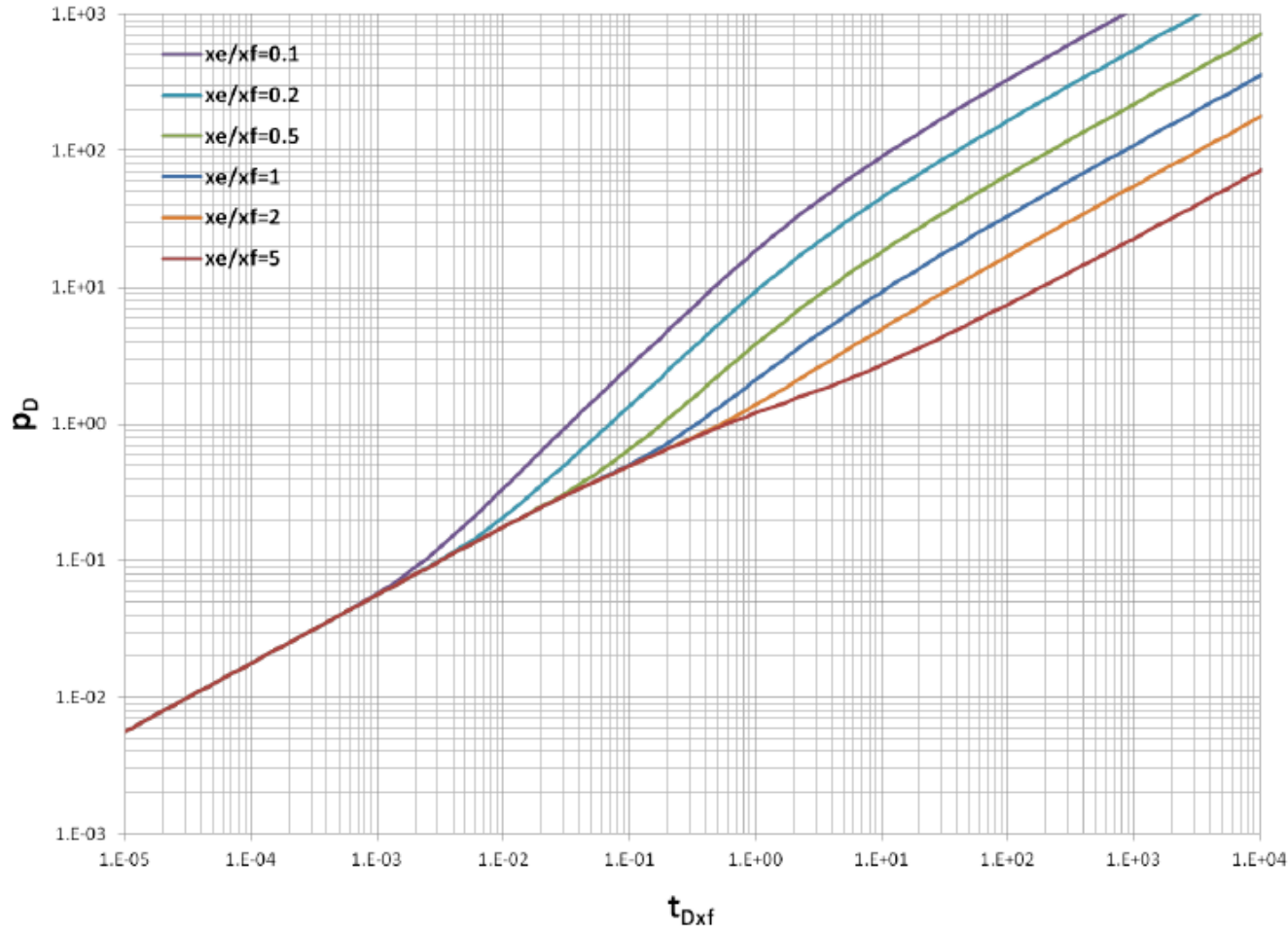
Ref: Liang, 2012, SPE 162646

SRV = Stimulated Reservoir Volume

Primary linear flow



Compound Linear Flow type curves



Ref: Liang, SPE 162646

Compound Linear Flow equations

$$t_{Dxf} = \frac{0.00633kt}{\phi\mu c_t x_f^2}$$

$$p_D = \frac{kh(p_i - p_{wf})}{141.2qB_o\mu_o}$$

Primary linear flow

$$p_D = \sqrt{\pi t_{Dxf}}$$

Compound linear flow

$$p_D = \frac{2x_f}{x_e} \sqrt{\pi t_{Dxf}} + s'$$

Ref: Liang, SPE 162646

Two important times for Compound Linear Flow

Time to end of primary linear flow

$$t = \frac{1896\phi\mu c_i d_i^2}{k}$$

t = time, hours

Time to start of compound linear flow

$$t = \frac{316\phi\mu c_i x_f^2}{k}$$

t = time, days

Ref: Liang, SPE 162646

Will a well reach compound linear flow or boundary dominated flow?

For a well to reach compound linear flow

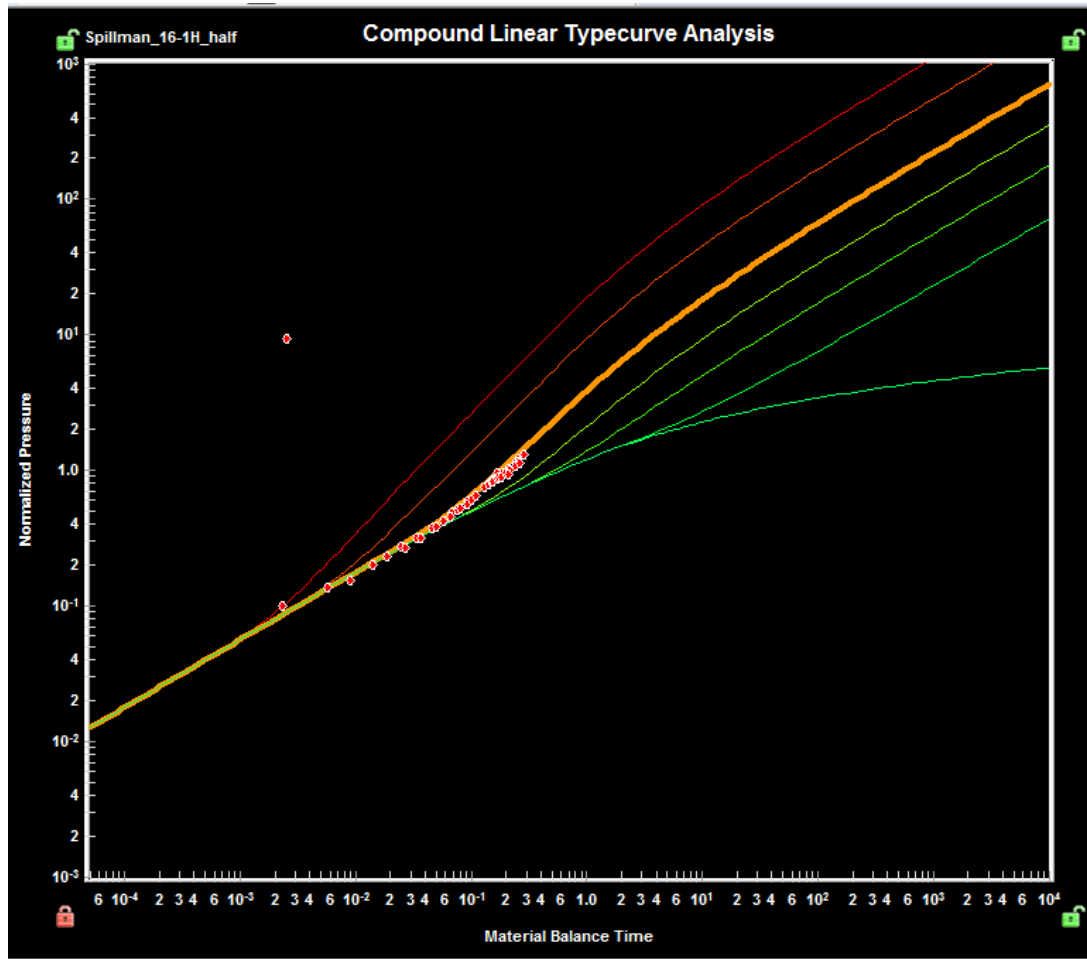
$$\frac{y_e}{x_f} > 2\sqrt{2\pi} = 5.01 \quad y_e = \text{interwell spacing, feet}$$

Assume $y_e = 1,000$ ft and $x_f = 200$ feet

Then $y_e/x_f = 5$

Well will probably transition from primary linear flow to BDF, unlikely that CL flow will be observed

Spillman 16-1H analyzed with CL model



CL analysis of Spillman 16-1H assumed

- **Oil = 42 API**
- **GOR = 750 scf/stb**
- **Initial reservoir pressure = 6500 psia**
- **Bottomhole flowing pressure = 3000 psia**
- **Net pay = 100 ft**
- **Porosity = 10%**

Better estimates of rock, fluid, and wellbore properties required to refine analysis and predict future performance

Summary & Conclusions

- **SPEE Monograph 4 focuses on predicting performance of developed wells in unconventional reservoirs**
- **Diagnostic plot constructed and three models applied to first half of Spillman 16-1H production data**
- **Comparison of model forecasts with second half of Spillman data indicates**
 - **All models acceptable for one year reserves cycle**
 - **No model accurately predicts long term recovery**

Summary & Conclusions – 2

- **Frac hits introduced noise in diagnostic plot but did not change signature.**
- **Diagnostic plot of offending well showed no evidence of hit on offset wells.**
- **Compound linear (CL) model developed for multi-fractured horizontal wells.**
- **CL model requires rock and fluid properties and wellbore completion info.**

Thank you!

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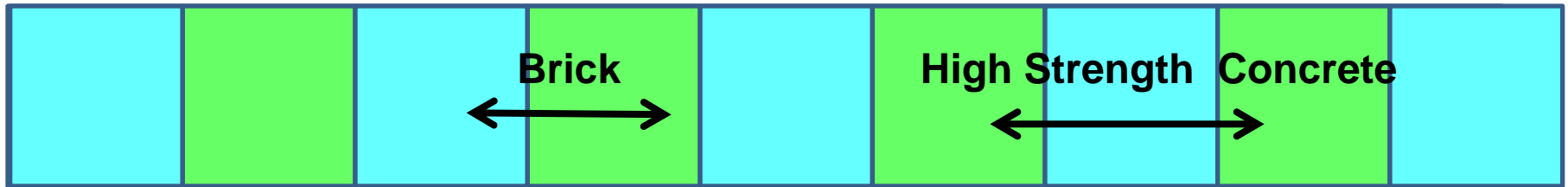
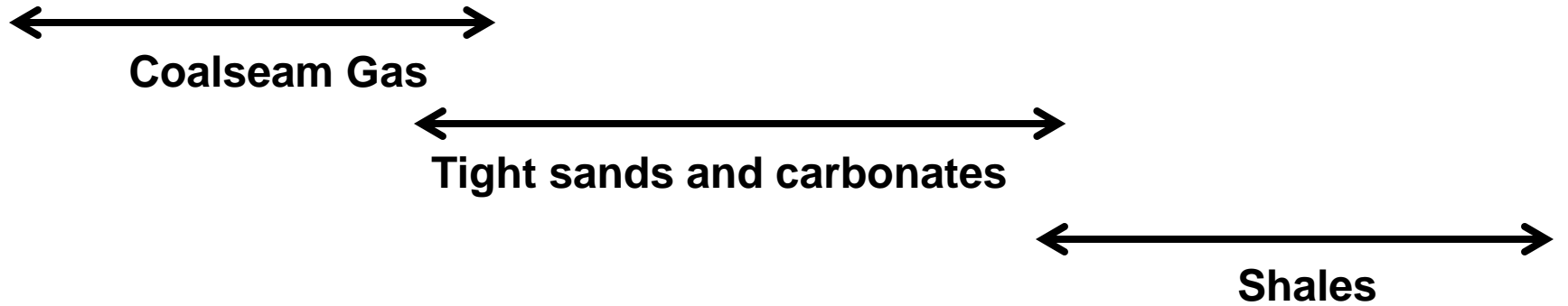
Office = 303-277-0270

Cell = 303-949-3467

Backup images

Placeholder

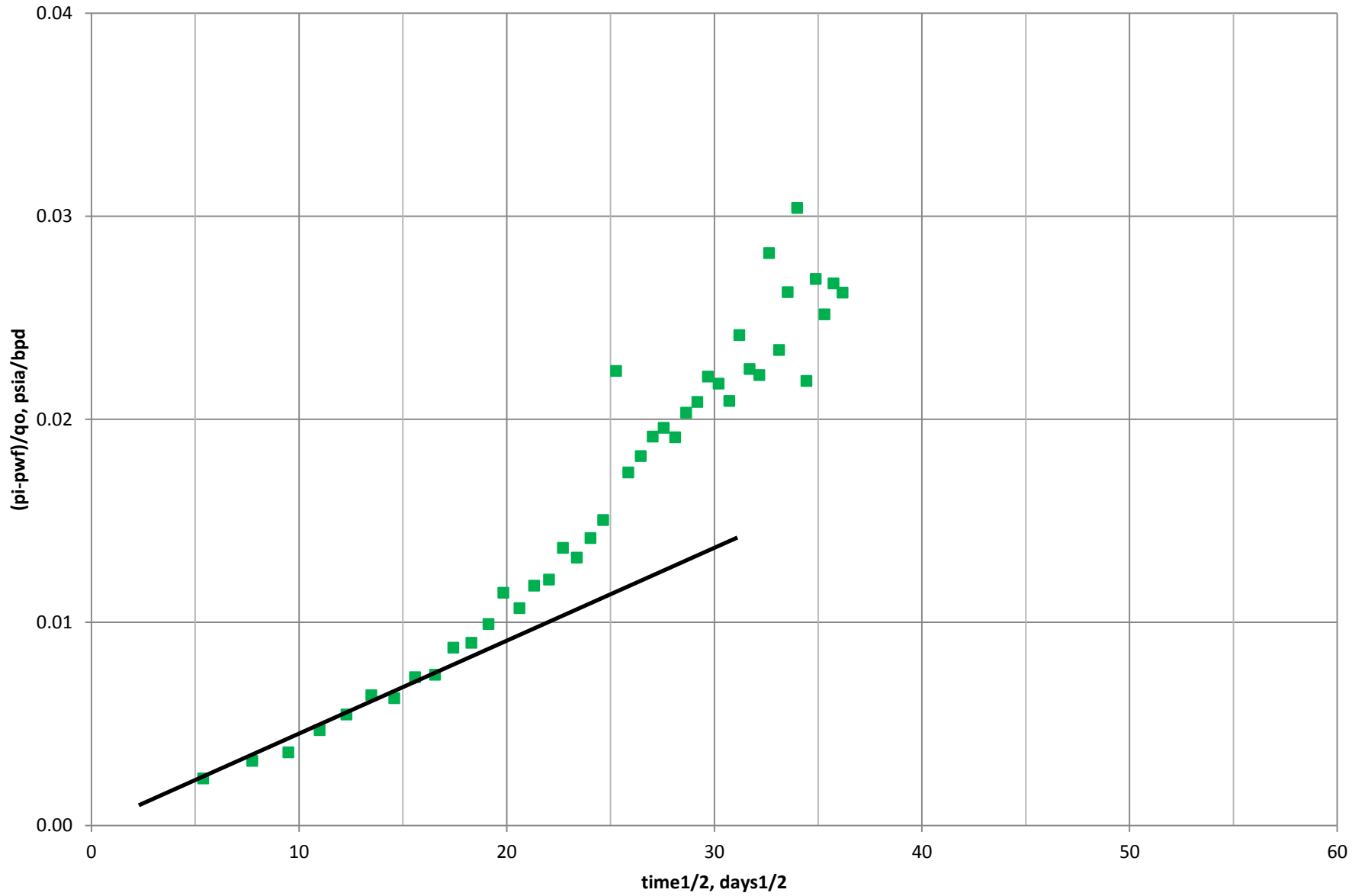
Permeabilities of Unconventional Reservoirs



1000 100 10 1.0 0.1 0.01 0.001 1*10⁻⁴ 1*10⁻⁵ 1*10⁻⁶

Permeability in Millidarcies

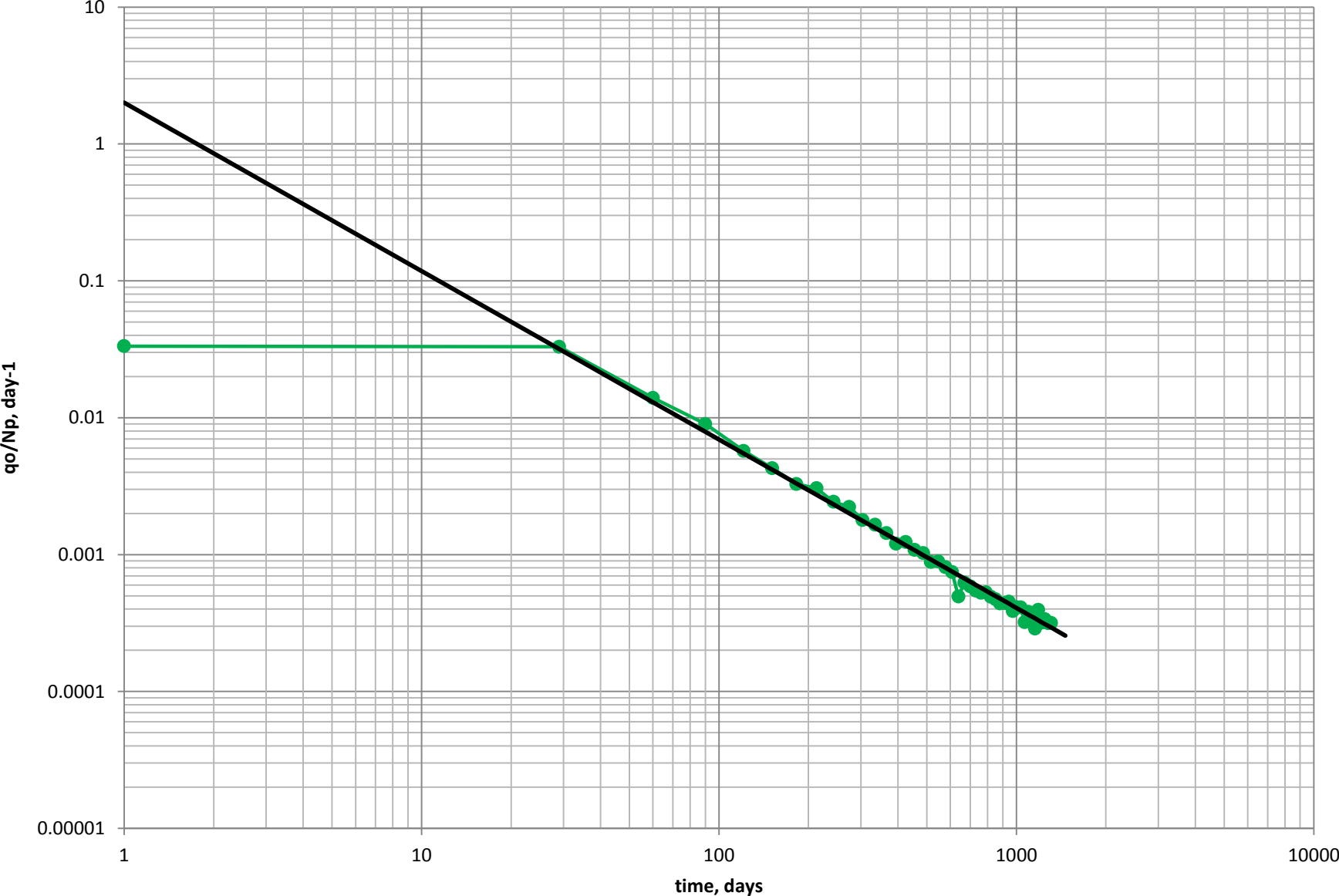
half Spillman 16-1 square root of time plot



Modified Arps details

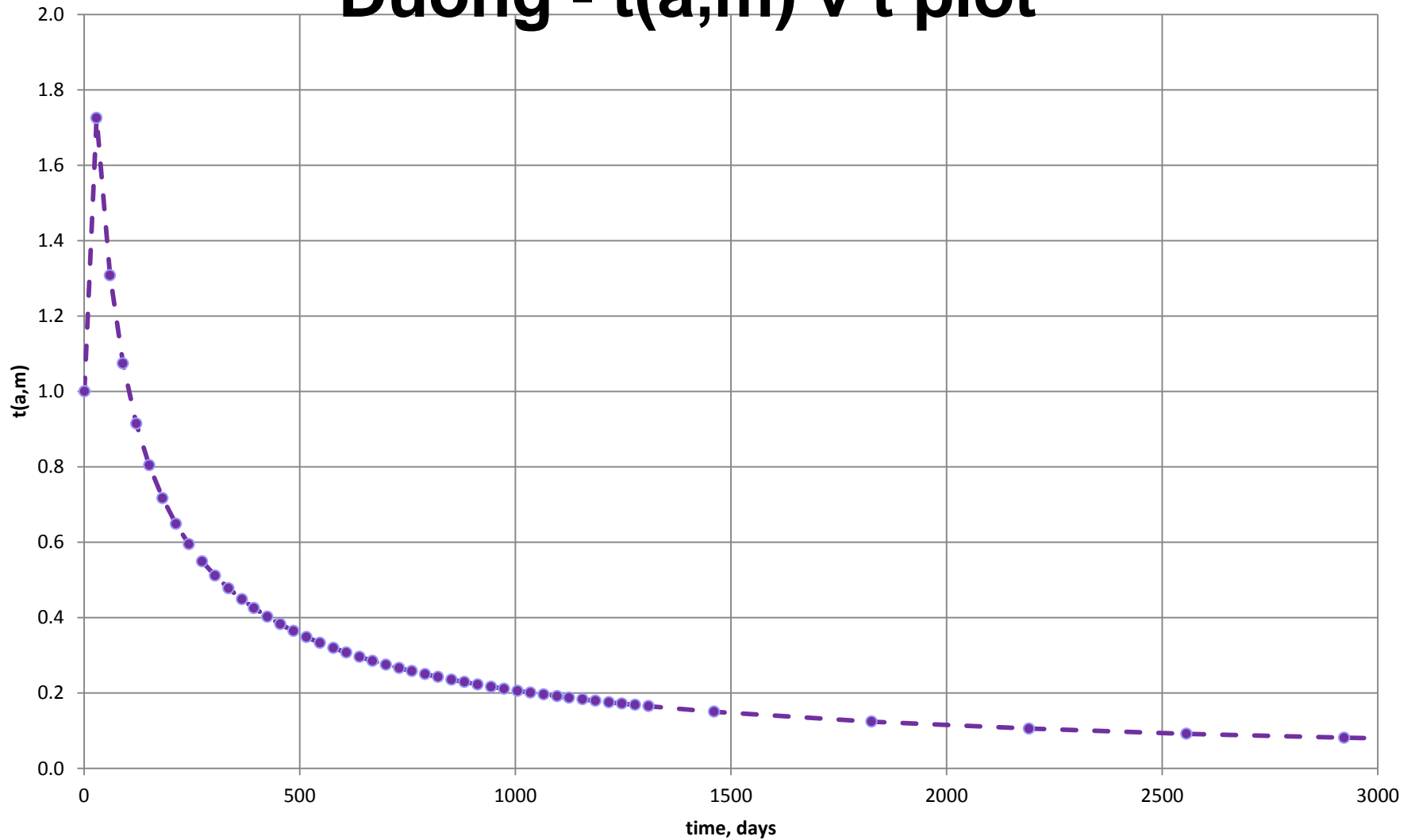
- Select a minimum terminal decline, D_{min}
- Forecast follows hyperbolic decline until decline rate falls to the specified minimum
- Forecast follows exponential decline using specified minimum decline rate for remainder of well life

half Spillman 16-1H - Duong plot



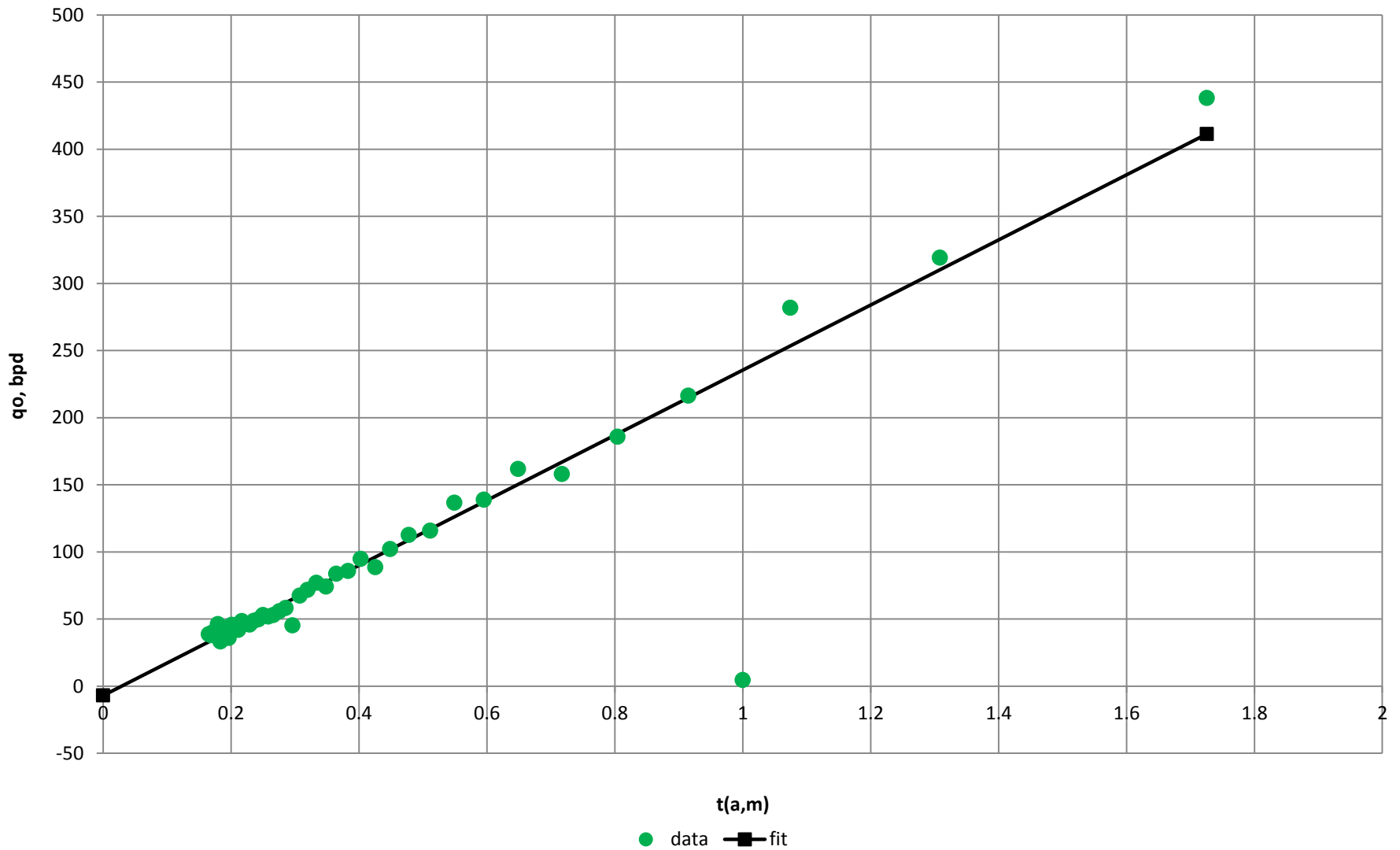
Half Spillman 16-1H

Duong - $t(a,m)$ v t plot



Half Spillman 16-1H

Duong - q_0 v $t(a,m)$ plot



Half Spillman 16-1H SEDM n & τ plot

